

td AC Q 2.2

(1h40 → 2h à 3h)

8h18

① $T_E = \frac{1}{f_E} = \frac{1}{12f} = \frac{1}{12} T$ donc il faut 12 échantillons pour couvrir la période T du signal.

② $u_0 = 0$ $u_1 = 10 \sin \frac{2\pi}{12} = 10 \sin \frac{\pi}{6} = 5V$

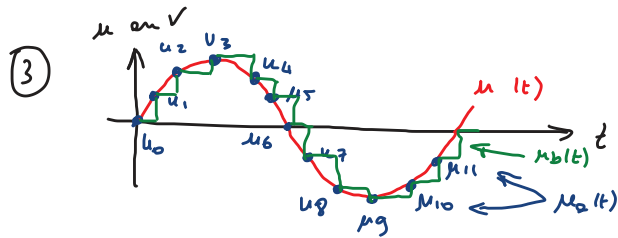
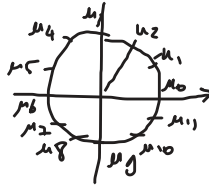
$u_2 = 10 \sin \frac{2\pi}{6} = 10 \sin \left(\frac{\pi}{3}\right) = 10 \frac{\sqrt{3}}{2} = 8,66V$

$u_3 = 10 \sin \frac{2\pi}{4} = 10 \sin \frac{\pi}{2} = 10V$

$u_4 = 8,66V$ $u_5 = 5V$

$u_6 = 0V$ $u_7 = -5V$ $u_8 = -8,66V$

$u_9 = -10V$ $u_{11} = -5V$



8h27

④ $U_b = \sqrt{\frac{1}{T} \int_0^T u_b^2(t) dt} = \sqrt{\frac{1}{T} \left(\sum_{i=0}^{N-1} u_i^2 \frac{T}{12} \right)}$
aire sous la courbe

$U_b = \sqrt{\frac{1}{12} (2 \cdot 10^2 + 2 \cdot 8,66^2 + 4 \cdot 10^2 + 4 \cdot 10^2)}$

$U_b = \sqrt{\frac{1}{12} (2 \cdot 10^2 + 4 \cdot 8,66^2 + 4 \cdot 5^2)}$ $U_b = 7,07V$

$U = \frac{\hat{U}}{\sqrt{2}}$

$U = \frac{10}{\sqrt{2}}$

$U = 7,07V \simeq U_b$ (échantillon suffisant pour ce critère).

8h33

⑤ $q = \frac{V_{ref}}{2^n}$

$q = \frac{5}{2^0}$

$q = 4,88 mV$

⑥

V_e	$N = \frac{V_e}{q}$	2^9	2^8	2^7	2^6	2^5	2^4	2^3	2^2	2^1	2^0
		512	256	128	64	32	16	8	4	2	1
1	204	0	1	0	1	0	0	1	1	0	0
2	409	0	1	1	1	0	1	1	0	0	1
3	614	1	1	0	1	1	0	0	1	1	0
4	819	1	1	0	0	1	1	0	0	1	1
5	1024	1	1	1	1	1	1	1	1	1	1

8h48

⑦

$q = \frac{V_{pe}}{2^{n-1}}$

$q = \frac{5}{2^8}$

$q = 19,8 mV$

8h42

⑧

Plus petit mot : 0

grand mot : $2^n - 1 = 255$

⑨

$V_i = q d_{10}$ où d_{10} = valeur décimale de b_i

$b_1 = 0 \rightarrow V_1 = 0V$

$d_2 = (255)_{10} \rightarrow V_2 = 5V$

⑩

$M = 235_{(10)} = (\begin{matrix} 1 & 1 & 1 & 0 & 1 & 0 & 1 & 0 \\ \leftarrow 107 & \leftarrow 43 \end{matrix})_2$

8h52

d

(11) def binaire (M):
 m = 0
 while 2**m < M:
 m = m + 1
 b = ""
 R = M
 for i in range(m, -1, -1):
 if 2**i >= R:
 R = R - 2**i
 b = b + "1"
 else:
 b = b + "0"
 return b

(12) b1 = binaire (M1)

(13) return "0b" + b
 on

initialisation par b = "0b" avant le while.

10h00

(14) ordonnée à l'origine (H=0) $V_{ho} = -3,5V$ 8h48

pente
 (sensibilité)

$$a = \frac{V_{hmax} - V_{hmin}}{H_{max} - H_{min}} = \frac{4,9 + 3,5}{30 - 0} = 0,28 V \cdot mm^{-1}$$

(15)
$$q = \frac{V_{ref}}{2^n} \quad q = \frac{5}{2^n} \quad q = \frac{2,44 \mu V}{2^n}$$

8h55

(16)
$$N = \frac{V_R}{q}$$

(17)
$$N_{max} = \frac{V_{hmax}}{q} \quad N_{max} = \frac{4,9}{2,44 \cdot 10^{-3}} \quad N_{max} = 2008$$

	624	512	256	128	64	32	16	8	4	2	1
$(2008)_{10}$	1	1	1	1	1	0	1	1	0	0	0
		984	672	216	88	24					

$$N_{min} = \frac{V_{hmin}}{q} \quad N_{min} = \frac{-3,5}{0,00244} \quad N_{min} = -1435$$

	624	512	256	128	64	32	16	8	4	2	1
$(-1435)_{10}$	-1	0	1	-1	0	0	1	1	1	1	0
		-411		-155	-27		11	3			10

(18)
$$H_{min} = \frac{V_{hmin} - V_0}{a} \quad H_{min} = \frac{-5 + 3,5}{0,28} \quad H_{min} = -5,36 mm$$
 9h15

$$H_{max} = \frac{V_{hmax} - V_0}{a} \quad H_{max} = \frac{5 + 3,5}{0,28} \quad H_{max} = 30,4 mm$$
 9h20

(19)
$$\Delta\theta = \frac{\theta_{max} - \theta_{min}}{2^n} \Rightarrow 2^n = \frac{\theta_{max} - \theta_{min}}{\Delta\theta}$$

$$n = \log_2(2^n) = \frac{\log(2^n)}{\log(2)}$$

Donc avec $n = 6$ bits soit $2^6 = 64$ valeurs cela sera suffisant pour $\Delta\theta < 1^\circ$.

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$$2^n = \frac{\theta_{max} - \theta_{min}}{\Delta\theta}$$

$$2^n = \frac{50}{0,1} = 500$$

⇒ $n = 9$ bits qui permet de coder 512 valeurs.

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$$q = \frac{V_{ref}}{2^n}$$

$$q = \frac{10}{2^9}$$

$$q = \underline{19,5 \text{ mV}}$$

22

$$S = \frac{\Delta V}{\Delta\theta}$$

$$S = \frac{V}{\theta_{max} - \theta_{min}}$$

$$S = \frac{10}{40 + 10}$$

$$S = \underline{0,02 \text{ V}^\circ\text{C}^{-1}}$$

9433

23

$$(0 \overset{256}{1} \overset{128}{1} \overset{64}{1} \overset{32}{1} 0000)_2 = 128 + 64 + 32 + 16 = (240)_{10}$$

$$q = \frac{V}{n} \quad \text{et} \quad S = \frac{V}{\theta - \theta_{min}} = \frac{q}{\Delta\theta}$$

$$\Rightarrow \theta = \Delta\theta \cdot N - \theta_0 \quad \theta = 0,1 \cdot 240 + 10 \quad \theta = \underline{34^\circ\text{C}}$$

24

def dec(b):

 n = len(b)

 s = 0

 for i in range(n, -1, -1):

 s = s + b[i] * 2 ** i

 return s

25

print(b1, "en base 10 vaut", dec(b1))

26

def temp(b):

 beta = 0.1 * dec(b1) + 10

 return beta

27

print("température associée à", b1, "vaut", temp(b1))

942